

REPORT DOCUMENTATION PAGE

AFRL-SR-BL-TR-01-

Public reporting burden for this collection of information is estimated to average 1 hour per response, including the time for review, maintaining the data needed, and completing and reviewing this collection of information. Send comments regarding this burden suggestions for reducing this burden to Washington Headquarters Services, Directorate for Information Operations and Reports, and to the Office of Management and Budget, Paperwork Reduction Project (0704-0188), Washington, DC 20503.

0121

1. AGENCY USE ONLY (Leave blank)		2. REPORT DATE September 2000		3. REPORT TYPE A Final Report 1/1/99--6/30/00	
4. TITLE AND SUBTITLE Simulation of Structural Bending modes of Large Aircraft				5. FUNDING NUMBERS G5368 Contract #F49620-99-1-0093	
6. AUTHOR(S) Dr. Daniel Biezd					
7. PERFORMING ORGANIZATION NAME(S) AND ADDRESS(ES) California Polytechnic State University San Luis Obispo, CA 93407				8. PERFORMING ORGANIZATION REPORT NUMBER	
9. SPONSORING / MONITORING AGENCY NAME(S) AND ADDRESS(ES) Air Force Office of Scientific Research Edwards AFB, CA				10. SPONSORING / MONITORING AGENCY REPORT NUMBER	
11. SUPPLEMENTARY NOTES					
12a. DISTRIBUTION / AVAILABILITY STATEMENT Approved for public release, distribution unlimited				AIR FORCE OFFICE OF SCIENTIFIC RESEARCH (AFOSR) NOTICE OF TRANSMITTAL DTIC: THIS TECHNICAL REPORT HAS BEEN REVIEWED AND IS APPROVED FOR PUBLIC RELEASE LAW AFR 190-12. DISTRIBUTION IS UNLIMITED.	
13. ABSTRACT (Maximum 200 Words) Large aircraft may possess slow structural modes that can affect handling qualities if excited. Little has been done to simulate these structural modes during pilot-in-the-loop analyses. A fast and simple method to simulate the longitudinal structural modes of large aircraft has been developed. A shape function for fuselage was obtained from a finite element model. This deflection function was used to develop transfer functions for flight simulation. The transfer functions were developed in a method similar to that used at NASA Dryden Flight Research Center. Flight simulations were developed to explore the effects of the structural modes on handling qualities of the aircraft in question. These calculations were validated by correlating wind tunnel data with simulation predicted data.					
14. SUBJECT TERMS Structural Dynamics, Simulation				15. NUMBER OF PAGES 16	
				16. PRICE CODE	
17. SECURITY CLASSIFICATION OF REPORT Unclassified	18. SECURITY CLASSIFICATION OF THIS PAGE Unclassified	19. SECURITY CLASSIFICATION OF ABSTRACT Unclassified	20. LIMITATION OF ABSTRACT		

NSN 7540-01-280-5500

Standard Form 298 (Rev. 2-89)
Prescribed by ANSI Std. Z39-18
298-102

**INVESTIGATION OF DYNAMIC STRUCTURAL MODELS SUITABLE FOR THE SIMULATION
OF LARGE AIRCRAFT**

-- Daniel J. Biezad, Ph.D.

California Polytechnic State University

San Luis Obispo

June 2000

20010305 068

ABSTRACT

SIMULATION OF STRUCTURAL BENDING MODES OF LARGE AIRCRAFT

By Aaron R. Munger

Large aircraft may possess slow structural modes that can affect handling qualities if excited. Little has been done to simulate these structural modes during pilot-in-the-loop analyses. A fast and simple method to simulate the longitudinal structural modes of large aircraft has been developed. A shape function for fuselage was obtained from a finite element model. This deflection function was used to develop transfer functions for flight simulation. The transfer functions were developed in a method similar to that used at NASA Dryden Flight Research Center. Flight simulations were developed to explore the effects of the structural modes on handling qualities of the aircraft in question. These calculations were validated by correlating wind tunnel data with simulation predicted data.

ACKNOWLEDGEMENTS

Acknowledgement and appreciation are owed to Mr. Fred Webster and Mr. Kurt Buehler of the Air Force Flight Test Center, Edwards Air Force Base, and to Dr. Len Sakell of the U.S. Air Force Office of Scientific Research, for their support of this research project. The support and guidance of Dr. Daniel Biezas, Dr. Faysal Kolkailah, and Dr. Eltahry Elghandour were important in bringing this project to a successful completion. The interaction with and support of Wendy Hashii were also instrumental during the course of the project. Special thanks to Jonathan Almond for his expertise and support, as well as to committee members Dr. Don Hartig and Dr. Roger Ludin. Finally, thanks to all of those who supported and assisted in making this work possible.

TABLE OF CONTENTS

LIST OF FIGURES	IX
NOMENCLATURE.....	XII
CHAPTER 1	2
Introduction.....	2
Background	2
Variable Definitions.....	2
Literature Search	6
CHAPTER 2	9
Problem Statement.....	9
Problem Definition.....	9
Problem Statement	9
CHAPTER 3	10
Methodologies for Solution	10
Previous Work of Smith and Berry.....	10
Previous Work of Rodden and Winther.....	12
Previous Work of Powers	12
CHAPTER 4.....	18
Methodologies for Simulation.....	18

Problem Statement Review	18
Procedure For Solution	18
Simulation Search	20
CHAPTER 5.....	22
Finite Element Analysis	22
COSMOS/M Modeling Software	22
Validation.....	23
Matching and Prediction Capability	24
More Complicated Models	26
CHAPTER 6.....	28
Simulation.....	28
Existing Simulations	28
Simulation Theory	28
Modifications to Linear Simulation	32
Augmented Transfer Function Simulation.....	37
Augmented Transfer Function Simulation Results.....	38
Non linear Pheagle Simulation	43
Pheagle Simulation Results	46
CHAPTER 7.....	48
Wind Tunnel Test Model	48
The Test Model	48

Wind Tunnel Test	48
Wind Tunnel Results.....	49
CHAPTER 8.....	53
Simulation Validation.....	53
Simulation Versus Wind Tunnel Test Data	53
Observed Effects On Handling Qualities.....	55
CHAPTER 9.....	57
Conclusion	57
REFERENCES.....	58
APPENDIX A	61
Modeling and Simulation Process	61
APPENDIX B	72
COSMOS/M MODELING & SIMULATION PROCEDURE.....	72
APPENDIX C	88
MATLAB Prediction Program.....	88
APPENDIX D	103
MATLAB Simulation Code	103
APPENDIX E	119
Simulation Block Diagrams	119

APPENDIX F	138
Wind Tunnel Tests.....	138

LIST OF FIGURES

Figure 1. Large Aircraft in Flight.	2
Figure 2. Coordinate Systems for a Deflected Aircraft Fuselage	3
Figure 3. Geometry of Deformed Flight Vehicle ³	6
Figure 4. Type I PIO Interaction.....	8
Figure 5. Analysis Methodology for Type 1 PIO	10
Figure 6. YF-12 First Bending Mode Shape.....	11
Figure 7. Powers' Cantilever Beam Solution Fit to GVT Data	14
Figure 8. Powers' Structural Simulation Verses Flight Test Data.....	16
Figure 9. SIMULINK Block Diagrams of Transfer Functions.....	20
Figure 10. Flat FE Model ¹⁵	23
Figure 11. Experimental Results ¹⁵	24
Figure 12. First Bending Mode ¹⁵	24
Figure 13. Shape of First Bending Mode ¹⁵	26
Figure 14. Complex Model in COSMOS/M Software	27
Figure 15. Mode Shape for Wind Tunnel Test Model.....	27
Figure 16. Body Axes System ¹⁶	29
Figure 17. State Space Implementation	31
Figure 18. State Space Simulation Block Diagram in SIMULINK.....	33
Figure 19. Transfer Function Simulation SIMULINK Block Diagram.....	35
Figure 20. SIMULINK Block Diagram for Lateral Subsystem with Aileron Input	35
Figure 21. Longitudinal Transfer Function Block Structurally Augmented.....	37

Figure 22. Effects of Structural Augmentation on Pitch Rate	39
Figure 23. The effects of Structural Augmentation on Normal Acceleration.....	40
Figure 24. Effects of Fuselage Location on Pitch Rate.....	42
Figure 25. Pheagle Cab	43
Figure 26. Six-Degree of Freedom Block Diagram.....	44
Figure 27. Six-Degree of Freedom Simulation with Structural Bending Effects	45
Figure 28. Effects of Structural Augmentation on Non-Linear Simulation.....	46
Figure 29. Front View of Wind Tunnel Test Model.....	49
Figure 30. Raw Pitch Rate Gyro Data	50
Figure 31. Wind Tunnel Test Model First Bending Mode	50
Figure 32. First Bending Mode of Model	51
Figure 33. Upward First Bending Mode	52
Figure 34. Unaugmented Simulation Compared to Wind Tunnel Data.....	53
Figure 35. Augmented Simulation Compared to Wind Tunnel Data	54
Figure 36. Augmented Simulation and Test Data Driven at Resonate Frequency	56
Figure 37. Frequency Determination by Model Thickness.....	63
Figure 38. Location of Applied Forces	64
Figure 39. Changing Magnitude of Forces to Match Mode Shape.....	65
Figure 40. Polynomial Curve Fit of FE Model	66
Figure 41. Mode Shape for Various Excitation Locations.....	68
Figure 42. Mode Shape for Various Model Thicknesses.....	68
Figure 43. FE Model with Mass Addition	69
Figure 44. MATLAB Prediction for the YF-12.....	70

Figure 45. MATLAB Prediction for the B-1	71
Figure 46. Three-View of Wind Tunnel Model.....	139
Figure 47. LabView Data Acquisition Program	140
Figure 48. Steady State Tuck Condition	141
Figure 49. First Bending Mode of Wind Tunnel Model.....	142
Figure 50. First Bending Mode Upward of Wind Tunnel Model	143

NOMENCLATURE

a_i	polynomial coefficients
A	system matrix
A_1	mode shape bias
A_2	mode shape angular scaling factor
A_{n_s}	normal acceleration due to structural bending
$A(s)$	actuator transfer function
B	control matrix
c	viscous damping coefficient, lb-sec/ft
cg	center of gravity
C	output matrix
D	output control matrix
E	modulus of elasticity, psi
F	harmonically varying force, lbf
F_1	maximum value of force, lbf
F_s	stick force, lbf
F_δ	control surface input effectiveness, in/deg
FE	finite element
FS	fuselage station, in
FS_r	reference fuselage station, in
g	gravitational constant, ft/sec ²
GVT	ground vibration test
$H(s)$	Laplace transfer function, feedback loop
I	identity matrix
I_x	moment of inertia about x axis, similar for y and z
I_{xy}	product of inertia about x and y axes, similar for other axes
K_1	displacement constant
K_θ	pitch attitude gain, deg/deg

L	characteristic length, in
LCO	limited cycle oscillation
p	roll rate
PIO	pilot-induced oscillation
q	pitch rate
r	yaw rate
RPO	residual pitch oscillation
s	Laplacian operator
SAS	stability augmentation system
t	time, sec
\mathbf{u}	control vector
u	forward air speed
v	horizontal air speed
w	vertical air speed
\mathbf{x}	state vector
$\dot{\mathbf{x}}$	derivative of state vector
x	horizontal axis coordinate, in
\dot{x}	velocity, in/sec
\ddot{x}	acceleration, in/sec ²
x_{ss}	steady-state solution, in
\mathbf{y}	output vector
y	horizontal position
z	vertical position
δ	deflection
δ_e	elevator deflection, deg or rad
δ_{e_s}	elevator deflection due to stick position, rad
$\Delta\delta$	elevator deflection from trim
ζ	damping ratio
η	structural modal displacement, in

$\dot{\eta}$	structural modal velocity, in/sec
$\ddot{\eta}$	structural modal acceleration, in/sec ²
θ	pitch angle
$\dot{\theta}$	pitch rate
ϕ	nondimensional constant
Φ	roll angle
ψ	heading angle
ω	frequency, rad/sec
ω_d	damped natural frequency, rad/sec
ω_n	natural frequency, rad/sec

Subscripts

0	bias term
d	damped natural frequency
e	elevator
n	natural frequency
s	structural value
ss	steady state value

CHAPTER 1

INTRODUCTION

Background

The strength and flexibility characteristics of large, modern aircraft structures often produce structural modes of vibration that are of the same order of magnitude as the bare airframe short-period response. The first bending mode of the structure may in this case have an effect on the handling qualities of the aircraft and should be considered in a piloted simulation of the vehicle. Currently, piloted simulations do not include structural modes, most of which are highly dependent on configuration. MIL-STD 1797 Flying Qualities of Piloted Aircraft¹ does not provide metrics for the handling quality related structural modes of an aircraft.

Variable Definitions

In this investigation, a large aircraft (see Figure 1) is considered a combination of a fuselage (including the tail) and right and left wings. The wings and tail provide excitation inputs to the flexible fuselage, which is allowed to bend as viewed from the side but not allowed any degrees of freedom in twist.



Figure 1. Large Aircraft in Flight.

The aircraft is free to pitch about its center of gravity, and the center of gravity is allowed to shift slightly along the longitudinal axis. When the airplane is disturbed

from its equilibrium state, the resulting motion in the longitudinal plane may be considered the sum of the motion due to the nonlinear equations of motion plus the linear vibration oscillation.

When considering the bending modes due to aeroelastic effects of large aircraft a few system parameters must be defined in order to provide a clear understanding of the problem. At any instant during flight a flexible aircraft fuselage can take on the shape similar the one shown in Figure 2. The dark blue line represents the deformed shape of

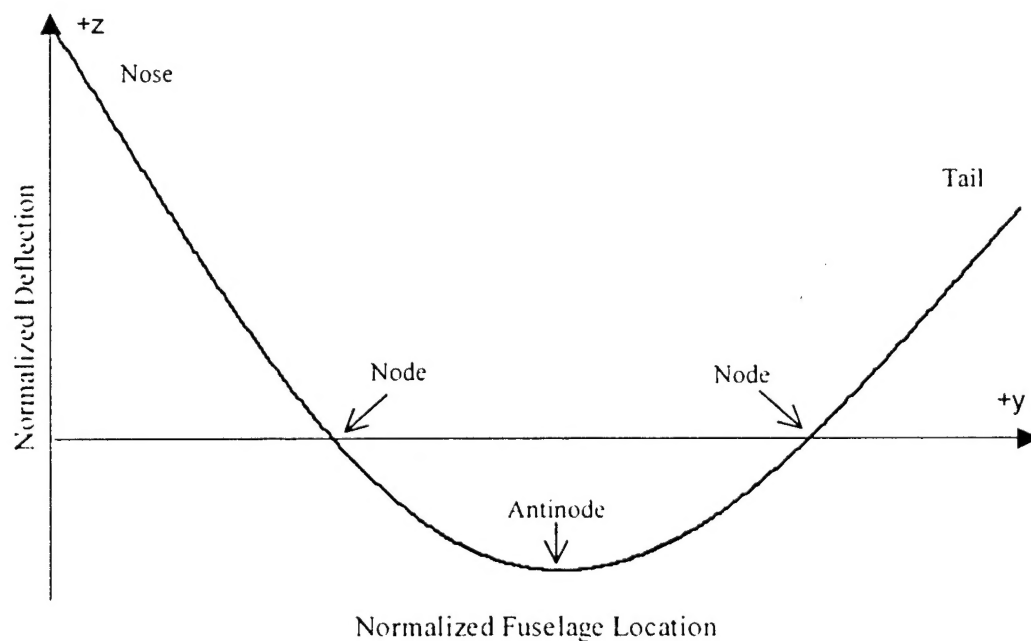


Figure 2. Coordinate Systems for a Deflected Aircraft Fuselage

the fuselage during flight. The mode shape is defined as the deformed shape which the fuselage of a flexible aircraft takes on during flight. The horizontal axis is the normalized fuselage position. The normalized fuselage position is used to determine the placement of items such as accelerometers and gyros along the longitudinal axis of the aircraft. Normalized fuselage position is obtained by taking the horizontal reference system and dividing all values by the overall fuselage length. Normalized deflection of the fuselage is shown on the vertical axis of Figure 2. Normalized deflection is defined as the amount which the fuselage deflects from a given reference system. The deflections are normalized by determining the maximum deflection (usually at the nose of the aircraft) and then dividing the deflection distribution by this parameter. Figure 2 also shows the two nodes of the first bending mode. A node is a point of zero displacement and is represented by the points where the deflected fuselage (the dark blue line) crosses the horizontal axis. Nodes are points along the fuselage which experience no translational motion only rotational motion. An aircraft can have any number of nodes depending on the mode of vibration which is being excited. The first bending mode of the aircraft is shown here in Figure 2. The first bending mode is observed when the mode shape of the fuselage has two distinct nodes as shown in Figure 2. The second bending mode is observed when three distinct nodes are present along the fuselage. The node and bending mode relationship can continue to infinity governed by the following equation:

$$\text{Bending Mode} = \text{Total Number of Nodes} - 1$$